

June 2013

A Framework for Success: English Learners and the Common Core



Sonja Munévar Gagnon
English Learner Resource Teacher
QTEL™ Certified Presenter and Coach
San Diego Unified School District
smunevar@sandi.net

Outcomes

- ☞ Review key components of QTEL Approach
- ☞ Explore maximally scaffolded mathematics lesson to help English learners meet the demands of the CCSS
- ☞ Develop own lesson(s) incorporating Preparing, Interacting, Extending structure

QTELM Principles

- ☞ Sustain Academic Rigor
- ☞ Hold High Expectations
- ☞ Infuse Metaprocesses in the Education of ELs
- ☞ Engage in Quality Teacher and Student Interactions
- ☞ Sustain a Language Focus
- ☞ Develop Quality Curriculum

Instructional Scaffolds

1. Modeling

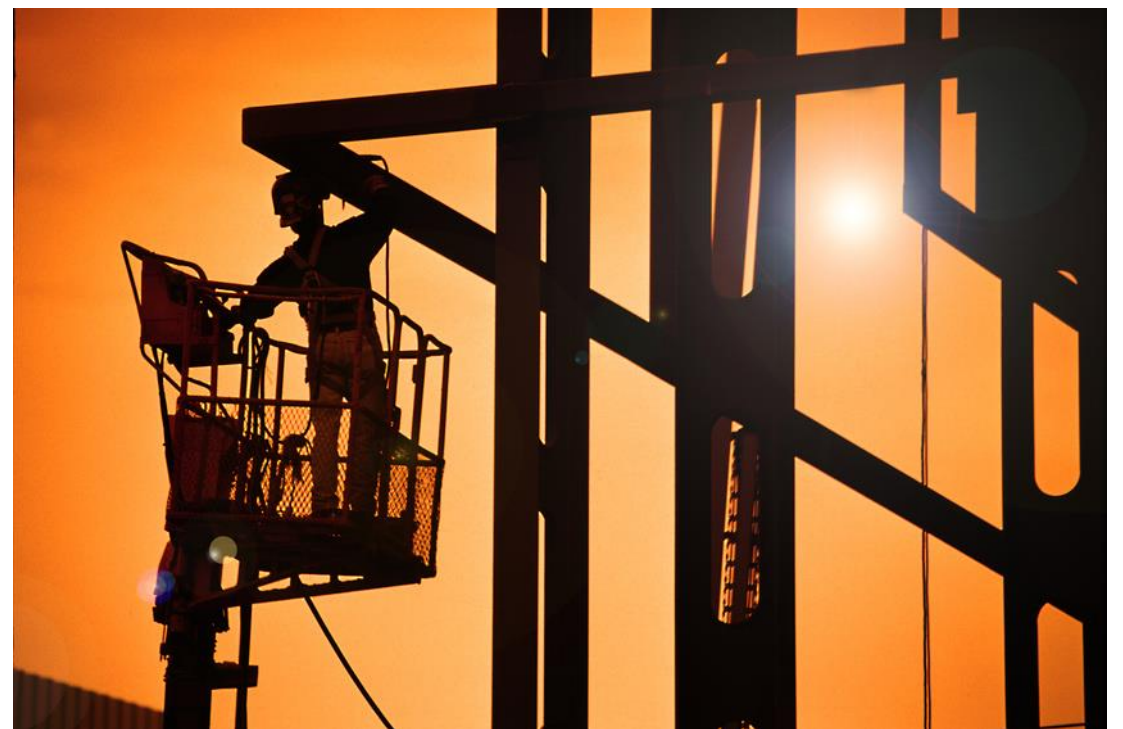
2. Bridging

3. Contextualization

4. Schema Building

5. Metacognition

6. Text Representation



-Aida Walqui, 2006

Two Elements of Scaffolding

1. Scaffolding as a Structure

- Purposeful, guided instruction
- Setting up of tasks

2. Scaffolding as a Process

- Dynamic and Responsive
- Teachers provide support

Examples of Planned Scaffolding

- ☞ Choosing texts carefully for specific purposes
- ☞ Selecting and sequencing tasks in a logical order (preparing, interacting, extending)
- ☞ Including collaborative participation structures
- ☞ Constructing text-dependent questions
- ☞ Using graphic organizers, videos, or diagrams to enhance access to content
- ☞ Providing students with generative language structures and exemplary writing samples

Examples of "in the moment" scaffolding

- ☞ **Prompting** a student to elaborate on a response to extend his/her language use and thinking
- ☞ **Paraphrasing** a student's response and including target academic language as a model
- ☞ **Adjusting** instruction on the spot based on frequent checking for understanding
- ☞ **Linking** what a student is saying to prior knowledge or future learning

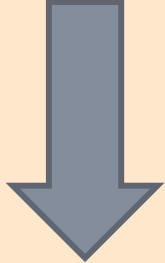


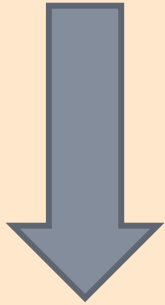


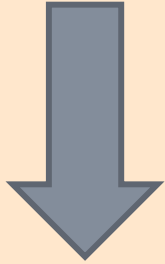


Instructional Sequence

(Three Moments of the Lesson)

1. Preparing the Learner
2. Interacting with the Text/Concept
3. Extending Understanding

Scaffolding Matrix

"The Teen Brain"

Instructional Sequence	Instructional Scaffolds	Possible Learning Tasks
<p>Preparing the Learner</p> 	<p>Modeling</p> 	<ul style="list-style-type: none"> • Modeling Academic Language • Modeling Strategies/Processes • Model of Problem/Solution Writing in Math
	<p>Bridging</p> 	<ul style="list-style-type: none"> • Quick-Write with 3 Step Interview
<p>Interacting w/ the Text</p> 	<p>Contextualization</p> 	<ul style="list-style-type: none"> • Vocabulary Notebook • Viewing with a Focus
	<p>Schema Building</p> 	<ul style="list-style-type: none"> • Collaborative Problem-Solving • Viewing with a Focus
<p>Extending Understanding</p> 	<p>Metacognitive Development</p> 	<ul style="list-style-type: none"> • Reading in Four Voices
<p>Assessing Learning</p>	<p>Text Representation</p> 	<ul style="list-style-type: none"> • Storyboard • Collaborative & Independent Problem/Solution Writing

Lesson Guide

- ☞ Lesson: “Algebraic Expressions”
(Grades 4 – 7)
- ☞ Activity: Using math to represent relationships and to solve problems.

Claims for Mathematics

- ☞ Students will **write** and **interpret** numerical expressions.
- ☞ Students will **analyze** patterns and relationships.
- ☞ Students will **apply** and **extend** previous understandings of arithmetic to algebraic expressions.
- ☞ Students will **reason** about and **solve** one-variable equations and inequalities.
- ☞ Students will **solve** real-life and mathematical problems using numerical and algebraic expressions and equations.



Preparing the Learner

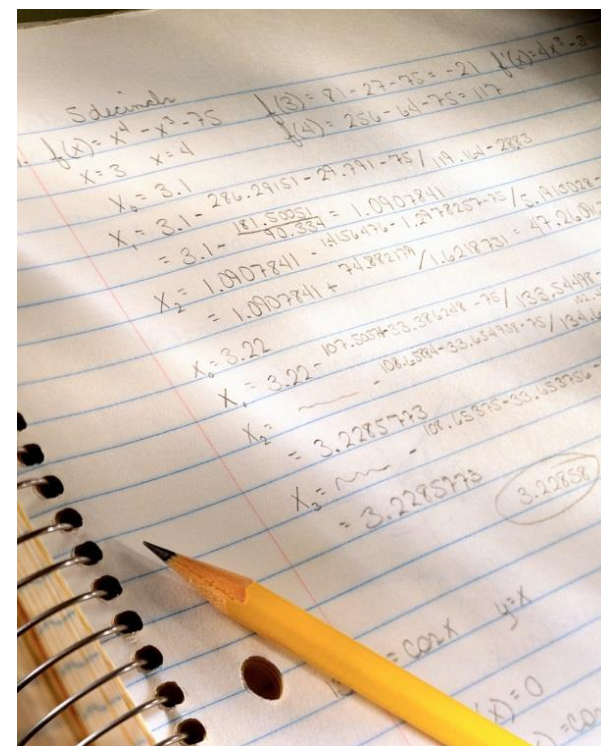
Activate relevant prior knowledge, Focus students' attention on key concept(s) that you will explore, Introduce—in a meaningful context—a few key terms

- ☞ Vocabulary Notebook
- ☞ Quick-write with 3 Step Interview
- ☞ Viewing with a Focus (x 2)

Vocabulary Notebook

(Preparing the Learner)

- ∞ Focuses on developing essential vocabulary and providing vocabulary instruction in context.
- ∞ Serves as a tool students can use across disciplines and can be adapted for some high-stakes exams (glossary).



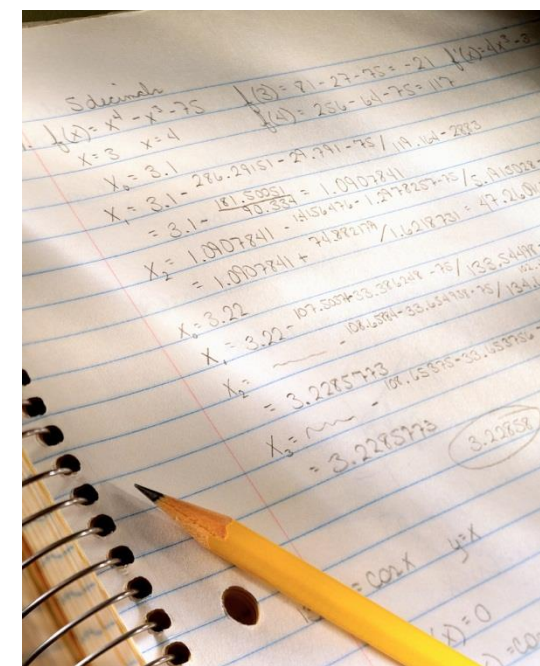
Vocabulary Notebook

(Preparing the Learner)

Components:

- Word and Translation (primary language)
- Picture or Image
- Definition
- Source Sentence
- Original Sentence

NOTE: First column serves as a personal glossary for English learners that they can use on some high-stakes exams.



Vocabulary Notebook

(Preparing the Learner)

Key Words Essential to Understanding

(Words that cannot be deciphered using context clues / High utility)

- Teacher provides the **word** and **image** of some of the words on the handout.
- In table groups, students share any knowledge they already have on these words.
- Teacher circulates the room and notes students' knowledge and/or misconceptions.
- Teacher leads a discussion and guided note-taking on these words while students record the information on their Vocabulary Notebook page (expanded definition, examples, translation...).

NOTE: Teacher may want to create worksheets or transfer images to PPT

Vocabulary Notebook

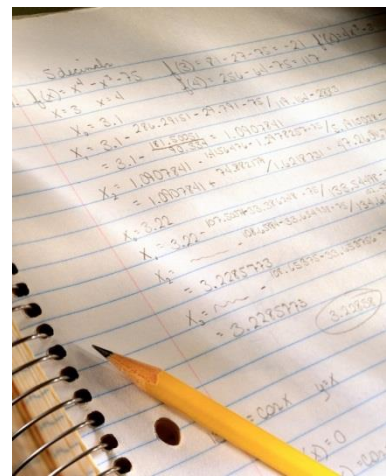
(Preparing the Learner)

Other Essential Words (from AWL and content-specific)

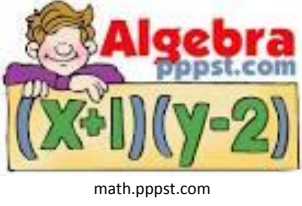

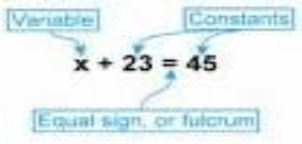

(Words that can be deciphered using context clues)

- Teacher may use “Wordsift”, www.wordsift.com, to note key vocabulary from Academic Word List (AWL) and content-specific vocabulary
- Students record words in *Vocabulary Notebook*, and during the lesson add: translation (EL students), picture or image, definition, example/source sentence, original sentence/application/significance.

NOTE: The first column of the Vocabulary Notebook (Word/Translation) is a personal glossary for English learners.



Vocabulary Notebook

Word & Translation	Picture/Image or Example	Definition	Application or Significance
Algebra	 <p>math.pppst.com</p>	The branch of mathematics that uses numbers and letters to describe the relationship between things.	<p>What is the purpose of algebra?</p> <p><i>Algebra aims to solve real-life problems by using equations.</i></p>
Expression	<p>$4X - 3$</p> <p>(compare this to the "equation" below: $4X - 3 = 9$)</p>	<p>A combination of numbers, variables and symbols to be calculated.</p> <p>Think about an expression as a mathematical "phrase" that stands for a single number.</p>	<p>Write the phrase (one part of the statement) of the following mathematical expression: $4X - 3$</p> <p><i>Four times an unknown number minus three</i></p>
Equation	 <p>appfinder.lissoft.com</p>	<p>The state of being equally balanced. A mathematical statement that two expressions are equal.</p> <p>Think about an equation as a mathematical "sentence" that says that two things are equal.</p>	<p>Write a complete sentence that expresses the following mathematical equation: $4x - 3 = 9$.</p> <p><i>Four times an unknown number minus three equals nine.</i></p>
Variable	<p>X</p>  <p>www.algebrahelp.com</p>	<p>The unknown number or quantity. A quantity that can assume any of a set of values. (math)</p> <p>Something that is likely to vary or change.(general)</p>	<p>How are variables expressed in a mathematical statement? Why are letters used as variables in math?</p> <p><i>In a mathematical statement, letters such as "X" and "Y" are used to represent the unknown variables.</i></p>
Constant	 <p>http://dictionary.reference.com/browse/hubble's+constant</p>	A quantity that does not change or vary.	<p>Who or what are the constants in your life? Explain why.</p> <p><i>The search for knowledge and my mom's support are two constants in my life because I am always looking for answers and my mom never lets me down.</i></p> <p><i>What is an example of a constant in mathematics?</i></p> <p><i>Numbers, $\pi = 3.14$</i></p>

Quick-write with 3 Step Interview

(Preparing the Learner)

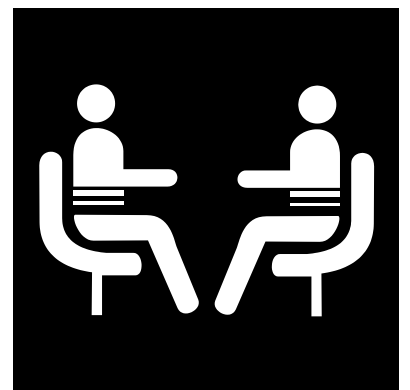
- ∞ This task helps to bridge the students' personal experiences and prior knowledge to the concept of mathematics as a symbolic language.



Quick-write with 3 Step Interview

(Preparing the Learner)

- ∞ Step One – Student A interviews Student B, and Student C interviews Student D. Student A and Student C must listen carefully to the responses because they will have to repeat their partner's response to the table group.
- ∞ Step Two – Student B interviews Student A, and Student D interviews Student C. Student B and Student D must listen carefully to the responses because they will have to repeat their partner's response to the table group.
- ∞ Step Three – Each person shares his/her partner's response, round robin format to the table group.



Quick-write Prompt

(Preparing the Learner)

- ☞ Before responding in writing, provide students with some independent thinking time to reflect on the following prompt (teacher models first).
- ☞ Quick-write Prompt:
 - *What are some symbols that you know or have used? What do these symbols represent? Why do we use symbols, in other words, what is the rationale?*

Possible Language Supports



- ☞ *My partner stated that _____ is a symbol for _____. S/he believes symbols are used because...*
- ☞ *My partner shared a very interesting symbol. S/he explained that _____ represents _____. S/he believes symbols are used to ...*
- ☞ *My partner explained that _____ and _____ are symbols that represent... In his/her opinion, the use of symbols allow us to...*

Viewing with a Focus

(Preparing the Learner)



- ∞ This task helps to build students' background knowledge on the reason why symbols (letters) are used in math.

Viewing with a Focus

(Preparing the Learner)



From “Why All the Letters in Algebra?”

Focus Question:

Why do we use letters in math, that is, what is the rationale?

What is the question asking you to do (i.e., describe, compare, contrast, sequence, express cause/effect...)?

Which graphic organizer would help you organize your thinking and take notes on the details surrounding this question?

Viewing with a Focus

(Preparing the Learner)



- ☞ Introduce prompt
- ☞ Walk students through selecting appropriate note-taking structure
- ☞ Students view video clip
- ☞ Provide time for note-taking
- ☞ Students share responses with partner/small group and reach consensus
- ☞ Teacher pre-selects or randomly calls on group rep to share

Extension Question: How is the rationale for using symbols in math similar to the rationale you wrote about in the previous quick-write?

NOTE: Teacher may want to chart responses for future reference or to add new information as the lesson progresses.

Possible Language Supports

- ☞ *Based on the video (and our prior knowledge), we believe that letters are used in math because...*
- ☞ *We have come to the conclusion that letters are used in math to express/show...*
- ☞ *I will report my group's rationale for why letters are used in math. First of all, ...
Second, ... Lastly, ...*



Viewing with a Focus 2

(Preparing the Learner)



From “ Representing a Relationship with a Simple Equation”

Focus Questions:

- ☞ What does each variable and constant represent in the equation “ $? + 3 = 10$ ”?
- ☞ Translate the equation into a complete sentence.
- ☞ How did the speaker solve this mathematical equation? What rationale did he give?

What are the questions asking you to do (i.e., describe, compare, contrast, sequence, express cause/effect...)?

Which graphic organizer would help you organize your thinking and take notes on the details surrounding these questions?

Possible Language Supports

Possible language supports for sharing group's ideas:

∞ *In the mathematical equation “ $? + 3 = 10$ ”, the “?” represents _____ and the numbers “3” and “10” are _____.*

∞ *Another way to express “ $? + 3 = 10$ ” is to say...*

∞ *In the video, the speaker solves the mathematical equation in _____ steps.*

First, ... Next, ... Finally, ...



Interacting with the Text / Concept

Deconstruct the text, Reconstruct the text connecting ideas emerging from reading of the text, Take a critical stance toward these ideas

☞ Reading in Four Voices

☞ Storyboard

☞ Collaborative Problem
Solving

Reading in Four Voices

(Interacting with Text / Concept)

∞ This task helps students understand information in meaningful chunks. It requires students to pause and reflect on meaning.



Reading in Four Voices

(Interacting with Text / Concept)



- Each group member selects ONE FONT TYPE (i.e., plain, **bold**, italics, or underline) to read aloud.
- Table groups read the math problem aloud (in four voices) TWICE .
- No discussion at this time!
- Independently, students write down their initial understanding of the math problem.

Mathematical Situation #1

(Video Game)

Lucas is excited to go to the store and buy a new video game. *He pays \$50 for a new video game after a discount of \$20. What is the original price of the video game?*

Storyboard

(Interacting with Text/Concept)

- ∞ This task enables students to re-present key understandings of the math word problem in a novel format.
- ∞ The task promotes the development of metacognitive skills.

Storyboard

(Interacting with the Text/ Concept)

- ∞ In dyads, students share initial understanding of scenario and reach a consensus.
- ∞ Students highlight key details (constants & variables) and label.
- ∞ In dyads, students create a 4 scene storyboard - labeling key details.

Model Storyboard

(Interacting with the Text/Concept)



Collaborative Problem Solving

(Interacting with the Text/Concept)

- ∞ This task enables students to re-present key understandings of the math word problem in a novel format.
- ∞ The task promotes the development of metacognitive skills.

Collaborative Problem Solving

(Interacting with the Text/Concept)

Step 1: Reflect back on the video and discuss how to solve “this” problem. Discussion only!

Step 2: Write a mathematical equation and use any symbol to represent the unknown variable.

Step 3: Solve the equation to discover the original price of the video game.

Teacher pre-selects or randomly selects dyads to share explanation.

Extending Understanding

Connect new concept to a larger body of knowledge, Take a critical stance of the text in relationship to other ideas, Apply newly gained knowledge

∞ Problem / Solution Writing

∞ Creating and Solving Mathematical Situations

Problem-Solution Writing

(Extending Understanding)

- ∞ This task helps to build metacognitive skills by requiring the student to explain, in writing, how they solved the mathematical situation.
- ∞ This task also helps to develop students' academic language to express mathematical concepts.

Problem / Solution Writing - Purpose (Extending Understanding)

- ☞ To communicate mathematical reasoning & ideas clearly to another
- ☞ To communicate to the reader WHY and HOW you arrived at a solution
- ☞ To convince the reader that your reasons and means to the solution are correct

Problem / Solution Writing (Extending Understanding)

Typical Structure

- ☞ **State** problem and its significance
- ☞ **Explain** steps to carry out solution
(Define variables and formulas)
- ☞ **State** the solution
- ☞ **Explain** the rationale for approach / method

Problem / Solution Writing - Language Features (Extending Understanding)

Typical Language Features

- ☞ First Person (I / We)
- ☞ Complete Sentences / Paragraphs
- ☞ Formulas & Equations in complete sentences with proper punctuation
- ☞ Important or long formulas written on separate lines
- ☞ Use words / symbols appropriately
- ☞ Do not use the 2 column method
- ☞ Use precise language (avoid “it” and “that”)

Possible Language Supports

State the Problem

- *I/We will determine/analyze/explain...*
 - ***We will determine*** the original prices of discounted products by using algebraic equations.
 - ***We will explain*** how the use of an algebraic equation can help us solve...



Possible Language Supports

Explain the steps to carry out the solution

- ☞ *In order to determine...*
- ☞ *To carry out the solution...*
- ☞ *First,... Next,... Then,...*
- ☞ *It follows that...*
- ☞ *After factoring...*
- ☞ *Where (X) is/equals...*
- ☞ *Let (X) be...*
- ☞ *In the equation / formula,*
- ☞ *Since, because, for this reason, therefore*



Explaining steps to carry out a solution

Example:

In order to determine the original price of the video game, **we use the equation**

$$\bullet x - 20 = 50,$$

where X is the original price of the video game, 20 is the discount in dollars of the video game, and 50 is the amount in dollars paid for the game. **In the equation**, we need to place a minus sign in front of the discount because a discount means less than the original amount. **Since** we want to solve for X **in the equation**, we add 20 to both sides of the equation and now have

$$\bullet X - 20 (+20) = 50 (+20).$$

After factoring, this becomes

$$\bullet X = 70.$$

Possible Language Supports

State the Solution

- *To conclude,*
- *We conclude that...,*
- *In conclusion,*
- *As a result...*
- *It follows then...*



To conclude, we discover that the original price of the video game is 70 dollars.

Possible Language Supports

Explain the Rationale for the Approach/Method

- *I used this approach / method because...*
- *This approach/method is effective because...*
- *This method approach is more effective than _____ because...*
- *Unlike _____, this method/ approach allows for...*
- *For example, ...*
- *As an illustration, ...*
- *To illustrate this point, ...*
- *In other words, ...*
- *This is to say, ...*
- *Therefore, ...*
- *For this reason, ...*
- *Thus, ...*

Explain rationale of the approach/method

Example:

This approach is effective in solving the problem **because** we can substitute any discounted price, paid amount, or original amount into the same type of equation. **For example**, if there is a \$40 discount on an item and the customer pays \$100 for it, the equation will become

$$X - 40 = 100.$$

On the other hand, if we already know that the original price is \$75 and the paid amount is \$50, then the equation will read

$$75 - Y = 50.$$

In other words, the equation becomes

$$X - Y = Z,$$

where X represents the original price, Y is the discount, and Z is the paid amount.

Thus, this equation and approach allow us to solve problems in many different situations, not just the video game scenario.

Creating & Solving Mathematical Situations (Extending Understanding)

- ∞ This task extends students' understanding by requiring them to think about a real-life problem that could be solved using an equation.

Creating & Solving Mathematical Situations (Extending Understanding)

- ☞ One envelope (containing 4 different equations) is provided at each table.
- ☞ Each member takes a card (WITHOUT showing it to their team members).
- ☞ Independently, students write a possible situation for his/her equation.
- ☞ Students then exchange cards with a classmate and independently write the steps to solve it.

Writing Cycle

(Extending Understanding)



DEVELOPING KNOWLEDGE OF TOPIC & TEXT

Analysis of Mathematical Situation #1 and engagement in various meaning-making tasks

DECONSTRUCTING THE GENRE

Purpose, Structure, and Language Features of Problem/Solution writing in math

MODELED/GUIDED CONSTRUCTION OF THE GENRE

Using Mathematical Situation #1, model/guide students in how to write (the process) a problem/solution text

COLLABORATIVE CONSTRUCTION OF GENRE

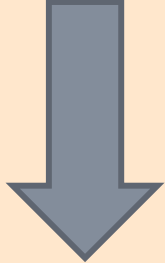
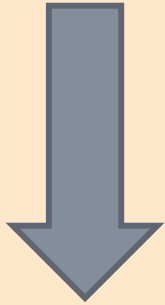
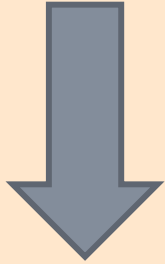
Students work in pairs/groups to solve mathematical situations, and use problem/solution writing to explain the steps taken and the rationale for this approach.

INDEPENDENT CONSTRUCTION OF GENRE

Students independently solve mathematical situations, and use problem/solution writing to explain the steps taken and the rationale for this approach.

Scaffolding Matrix

"The Teen Brain"

Instructional Sequence	Instructional Scaffolds	Possible Learning Tasks
<p>Preparing the Learner</p> 	<p>Modeling →</p>	<ul style="list-style-type: none"> • Modeling Academic Language • Modeling Strategies/Processes • Model of Problem/Solution Writing in Math
<p>Interacting w/ the Text</p> 	<p>Bridging →</p>	<ul style="list-style-type: none"> • Quick-Write with 3 Step Interview
<p>Extending Understanding</p> 	<p>Contextualization →</p>	<ul style="list-style-type: none"> • Vocabulary Notebook • Viewing with a Focus
<p>Assessing Learning</p>	<p>Schema Building →</p>	<ul style="list-style-type: none"> • Collaborative Problem-Solving • Viewing with a Focus
	<p>Metacognitive Development →</p>	<ul style="list-style-type: none"> • Reading in Four Voices
	<p>Text Representation →</p>	<ul style="list-style-type: none"> • Storyboard • Collaborative & Independent Problem/Solution Writing

References

- ☞ Walqui, Aida and Leo Van Lier. Scaffolding the Academic Success of Adolescent English Language Learners: A Pedagogy of Promise. WestEd, 2010.
- ☞ Walqui, Aida. Scaffolding Instruction for English Language Learners: A Conceptual Framework, 2006.
- ☞ Bean, John C, Virginia A. Chapell, and Alice M. Gillam. Reading Rhetorically, Third Edition. Pearson Education, Inc., 2007.
- ☞ Rosenwasser, David, and Jill Stephen. Writing Analytically, Third Edition. Thomson & Heinle, 2003.
- ☞ Graff, Gerald and Cathy Birkenstein. “They Say, I Say”, The Moves That Matter in Academic Writing. W. W. Norton & Company, Inc., 2006.
- ☞ Gibbons, Pauline. Scaffolding Language, Scaffolding Learning: Teaching Second Language Learners in the Mainstream Classroom, First Edition. Heinemann, 2002.
- ☞ Derewianka, Beverly and Pauline Jones. Teaching Language in Context. Oxford University Press, 2012
- ☞ Robin C. Scarcella. Accelerating Academic English: A Focus on the English Learner. Regents of University of California, 2003.
- ☞ Zwiers, Jeff. Building Academic Language: Essential Practices for Content Classrooms. Jossey-Bass, 2008.
- ☞ Lee, Kevin P.,” A Guide to Writing Mathematics”,
www.cs.ucdavis.edu/mamenta/w10/writingman.pdf.